



# Future district heating systems A need for dynamic, multi-physics simulation tools?

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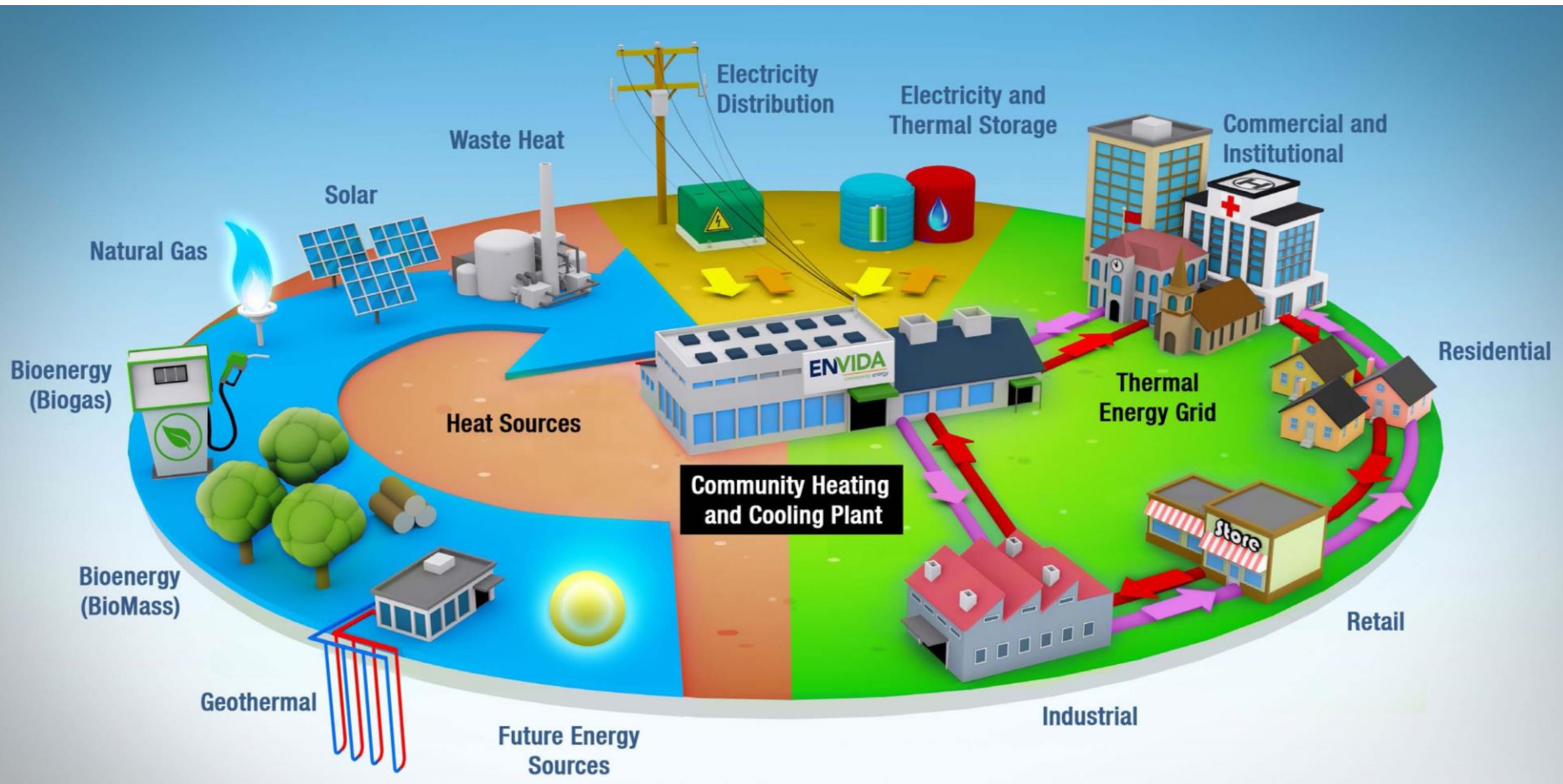
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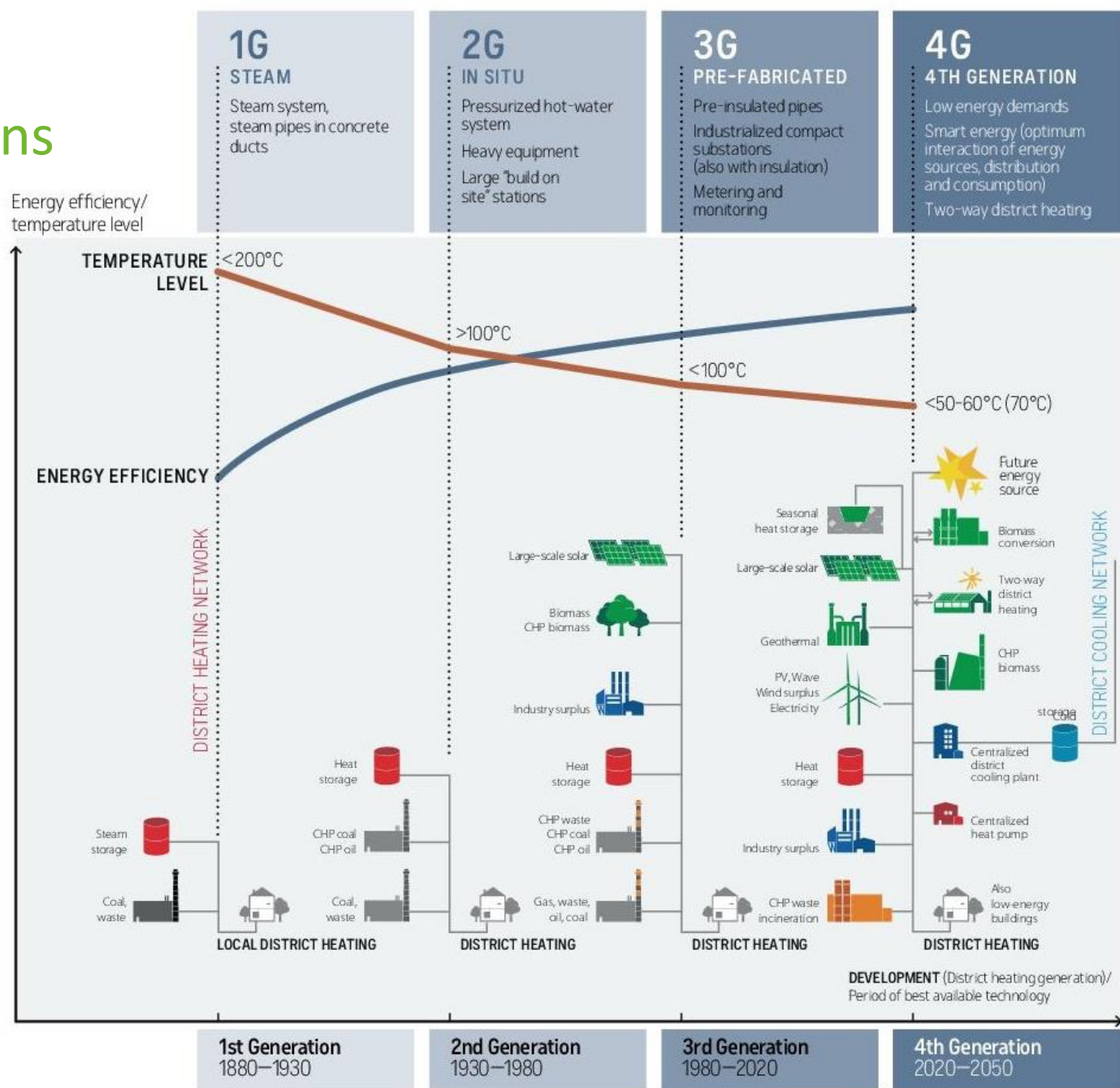


# Context

## District energy systems



# TherNet generations





# Need for dynamic models

- ✦ Optimal design and operation

- ✦ Models need to be

- ✦ Fast
- ✦ Robust
- ✦ Accurate



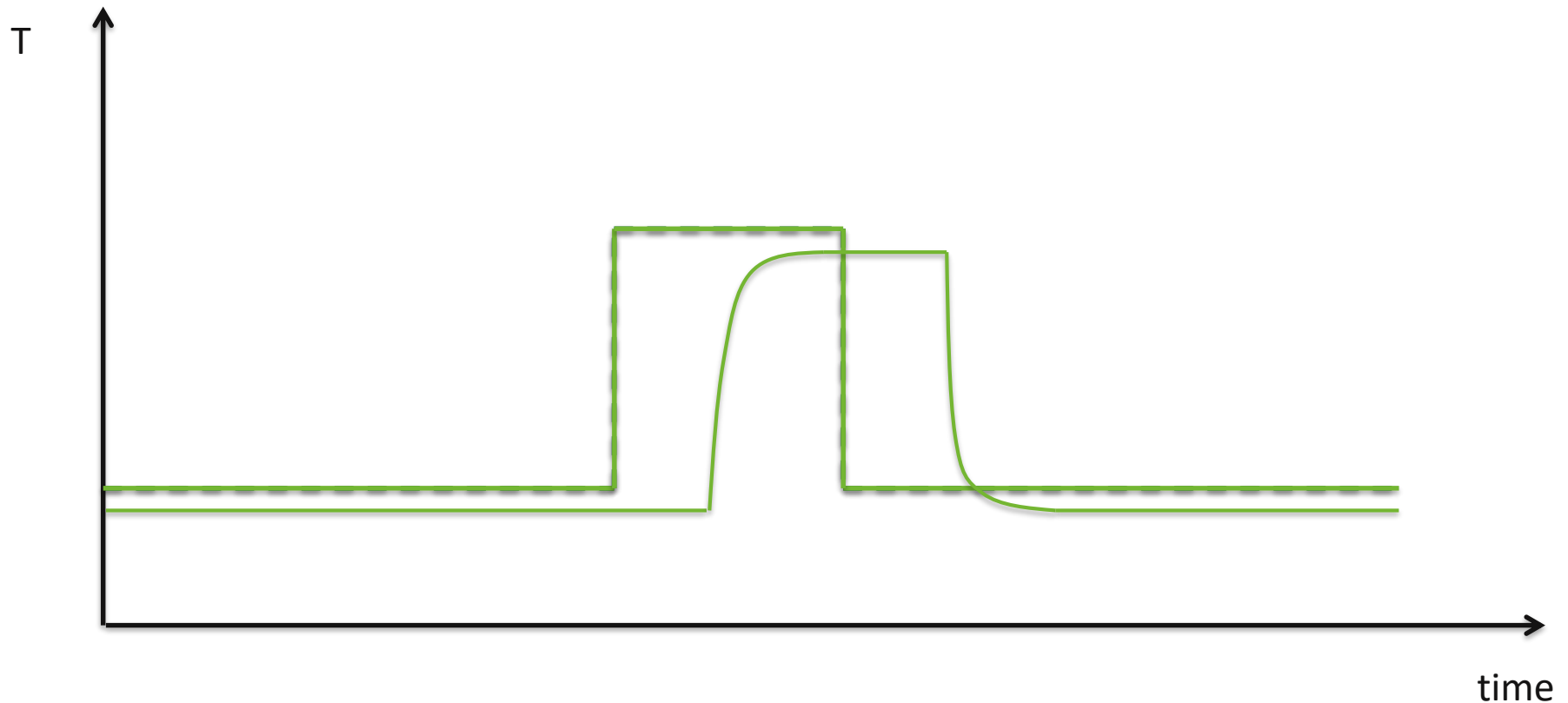
# Novelties

- Novel open-source thermo-hydraulic model
- Application to a case study
- Comparison static and dynamic model

# What we measure

## Three processes:

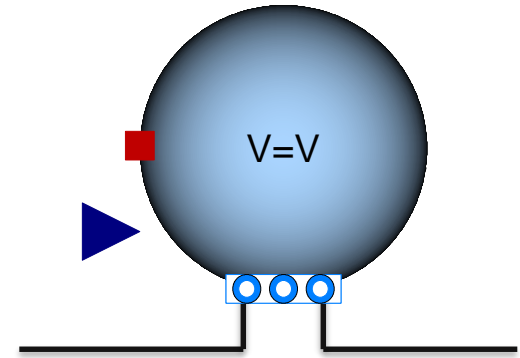
- Advection or propagation
- Steady-state heat exchange
- Transient effect



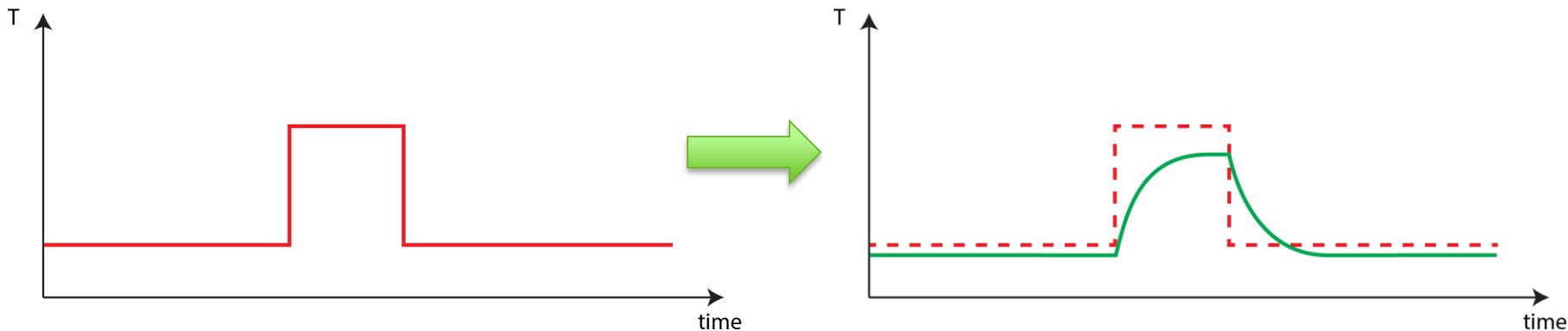
# Single lumped capacity model

Modelica: lumped mixing volume

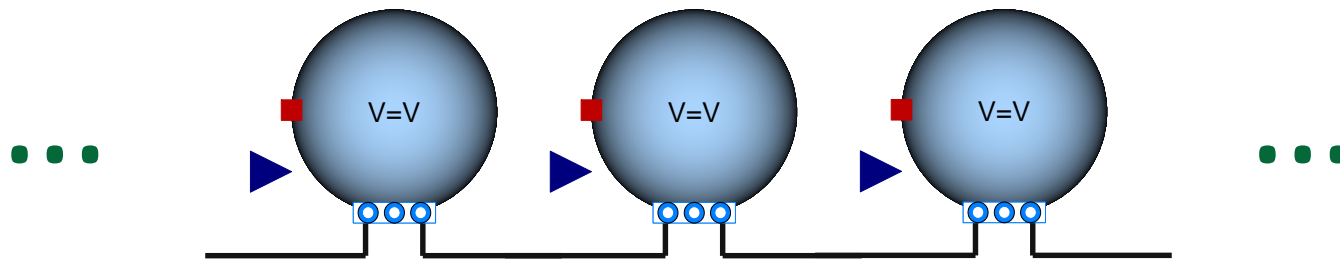
$$C \frac{\partial \bar{T}}{\partial t} = -\dot{Q}_e + \dot{m}(h_{in} - h_{out})$$



Finite  $\Delta h \rightarrow$  immediate rise

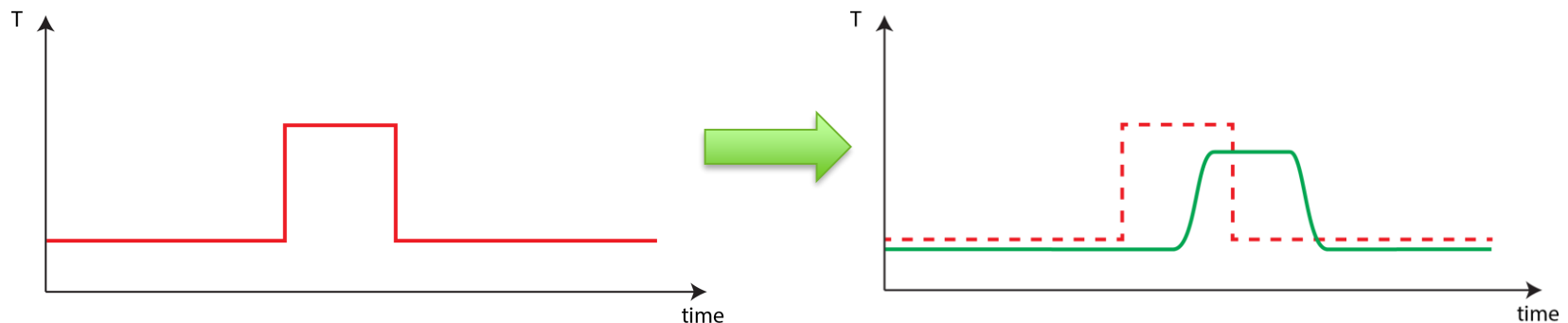


# What we want <> What we get



🌿 Modelica: multiple lumped mixing volumes

🌿 Discretized pipe ➔ Numerical diffusion





# Node model

## Overview

🌿 Don't split up pipe

🌿 Split up heat transfer phenomena!

🌿 Three processes:

🏠 Propagation



Delay block

🏠 Steady-state heat loss



Exponential decay

🏠 Dynamics

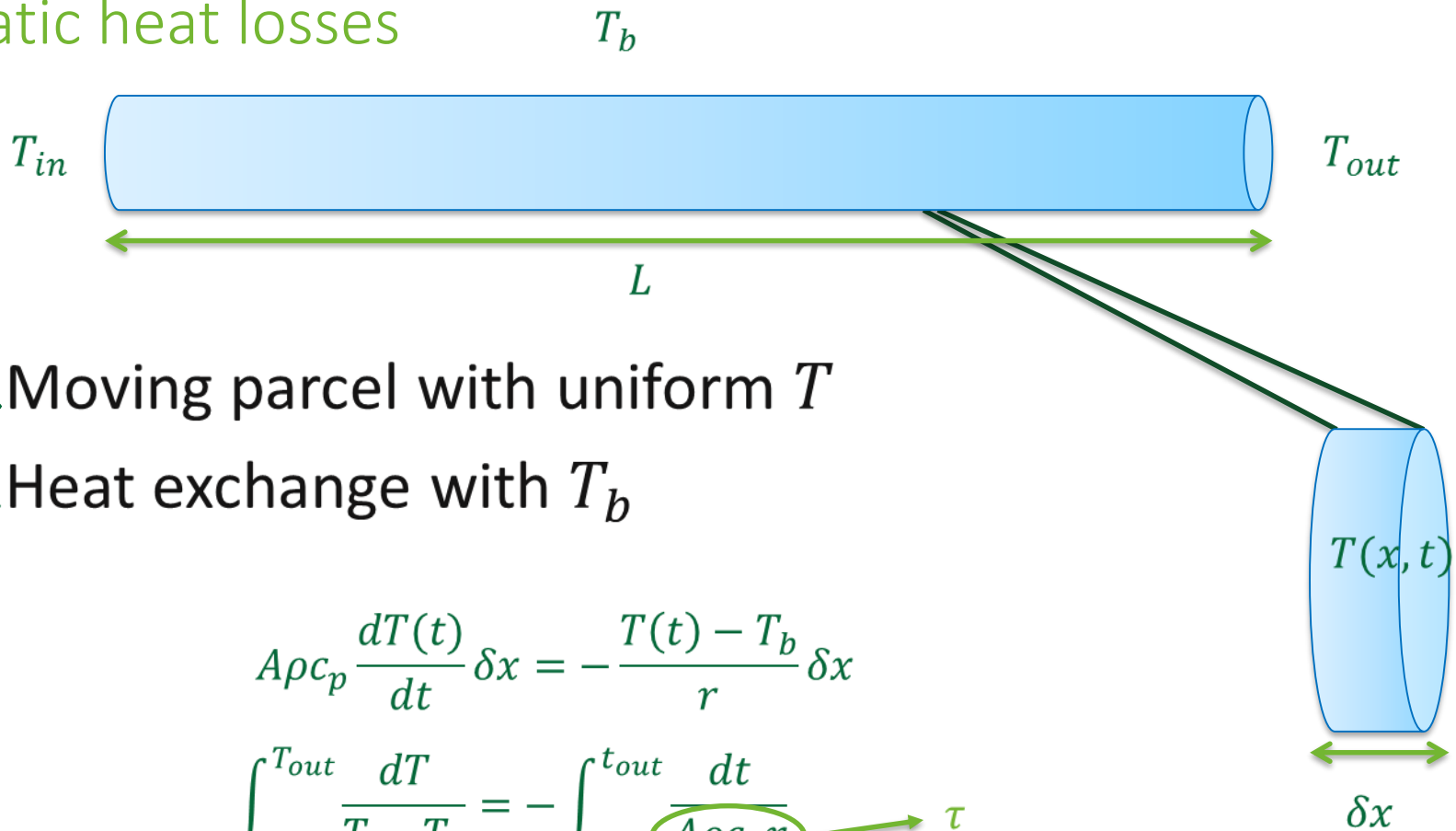


Lumped capacity



# Node model

Static heat losses



- Moving parcel with uniform  $T$
- Heat exchange with  $T_b$

$$A\rho c_p \frac{dT(t)}{dt} \delta x = -\frac{T(t) - T_b}{r} \delta x$$

$$\int_{T_{in}}^{T_{out}} \frac{dT}{T - T_b} = -\int_{t_{in}}^{t_{out}} \frac{dt}{\overbrace{A\rho c_p r}^{\tau}} \rightarrow \tau$$




$$T_{out} = T_b + (T_{in} - T_b) \exp\left(-\frac{\Delta t}{\tau}\right)$$

$r = R \cdot \delta x$ :  
thermal resistance  
per unit length




# Node model

## Dynamics and hydraulics

### Dynamics

-  Lumped heat capacity at end of pipe
  -  Only pipe wall material
-  Before heat losses are subtracted

### Hydraulics

-  Fixed hydraulic resistance
-  Turbulent regime
-   $\Delta P \sim \dot{m}^2$

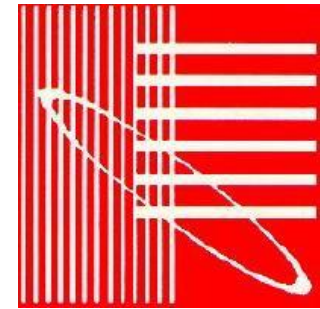
# Time delays and temperature propagation

## 🌿 Static approach:

- ✂ Instantaneous calculation of time delay
- ✂  $T_{out} = T_{in}(t) - \Delta T_{loss}(t)$
- ✂ Less accurate, but requires less memory

## 🌿 Dynamic approach:

- ✂ Time delay: integral of previous mass flow rates
- ✂ Actual propagation of temperatures
  - 🏠 Using a shifting memory
- ✂  $T_{out} = T_{in}(t - \Delta t) - \Delta T_{loss}(\Delta t)$
- ✂ Most accurate



# Model implementation

## 🌿 Modelica

✦ Part of IBPSA Project 1 Modelica Library

🏠 See <https://github.com/ibpsa/modelica-ibpsa>

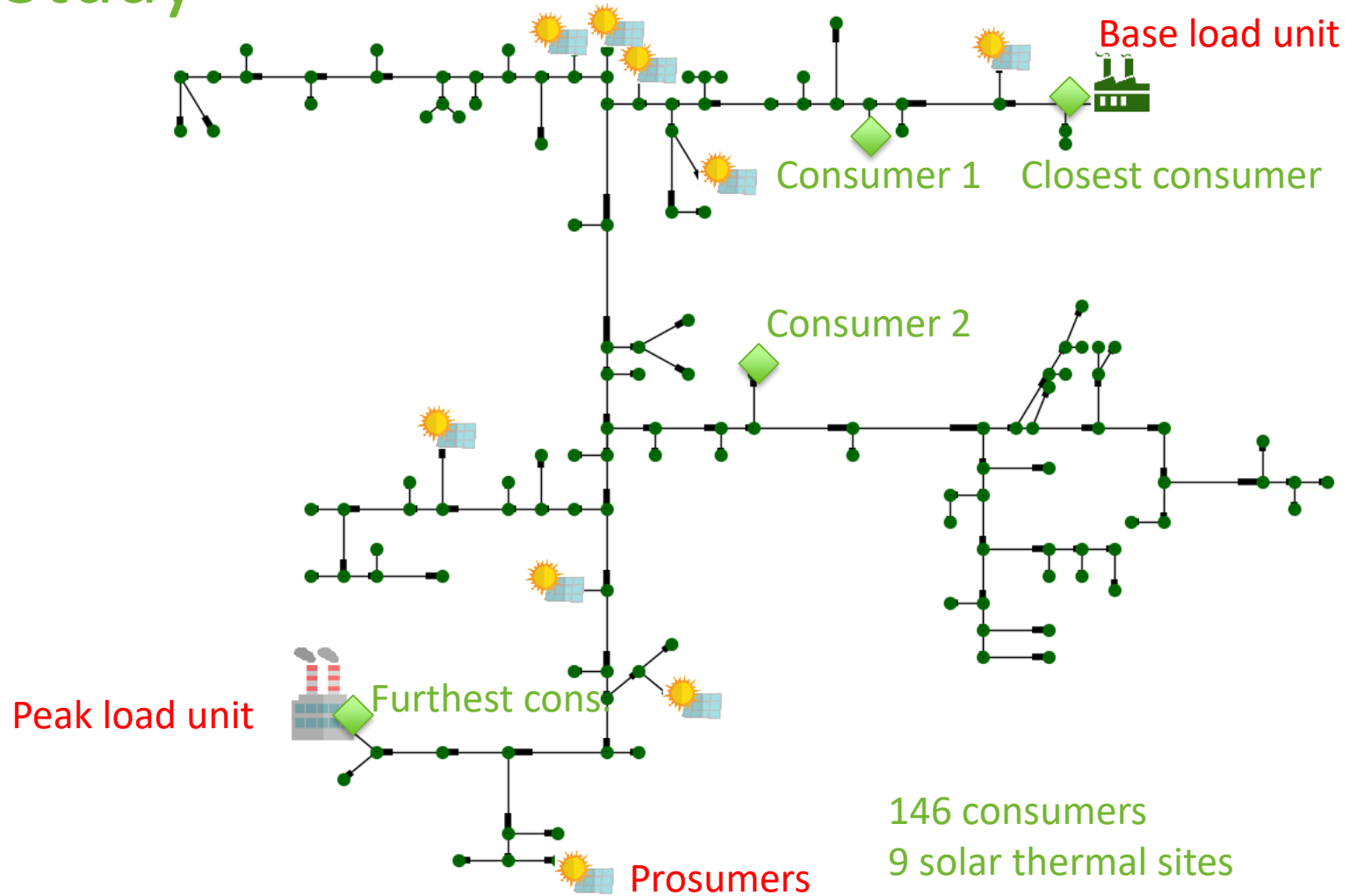
🏠 Open Source

## 🌿 Experimentally validated [1]

[1] van der Heijde, B *et al.* (2017). Dynamic equation-based thermo-hydraulic pipe model for district heating and cooling systems. *Energy Conversion and Management*, 151(November), 158–169.

<https://doi.org/10.1016/j.enconman.2017.08.072>

# Case Study

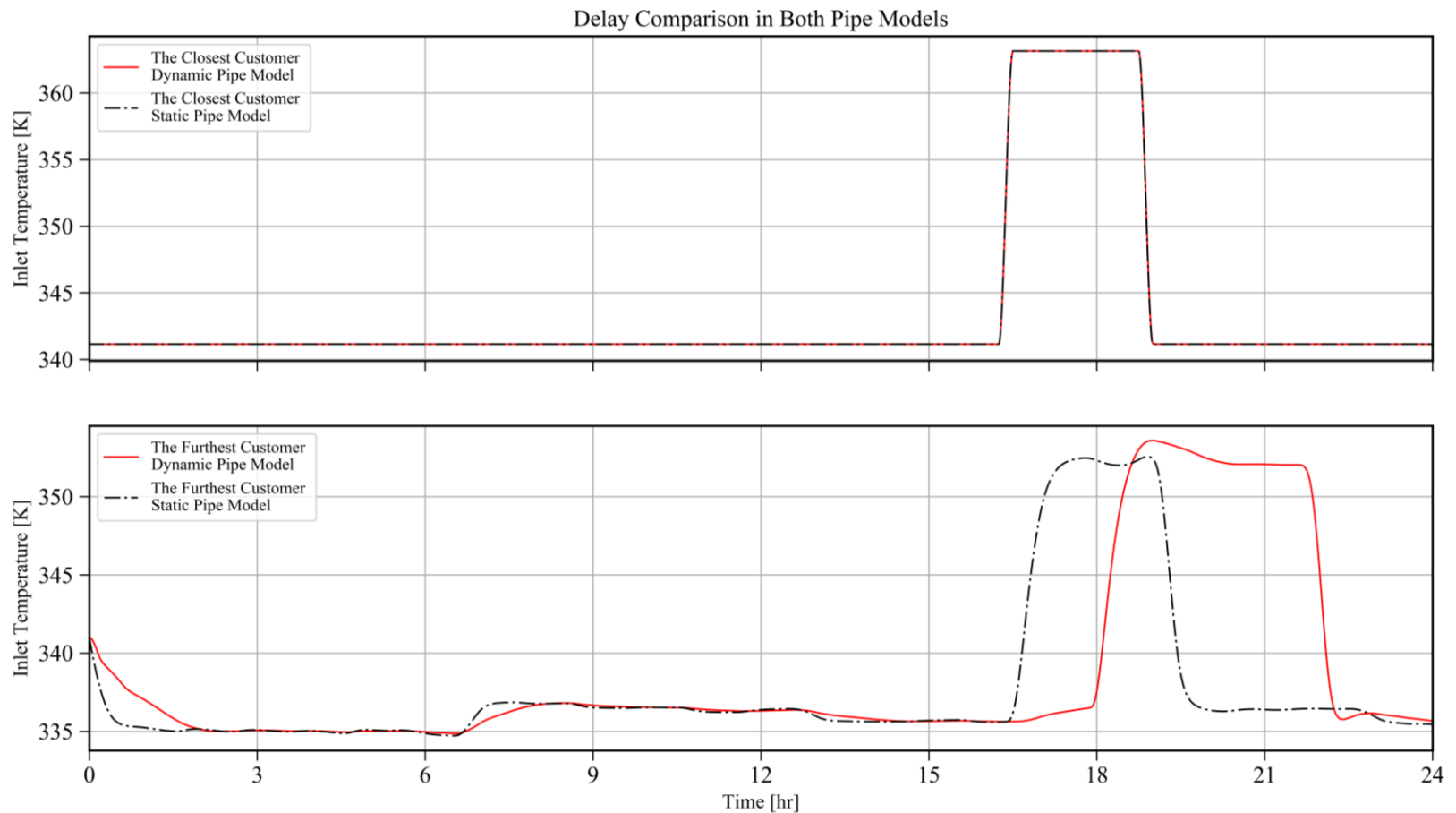




# Results

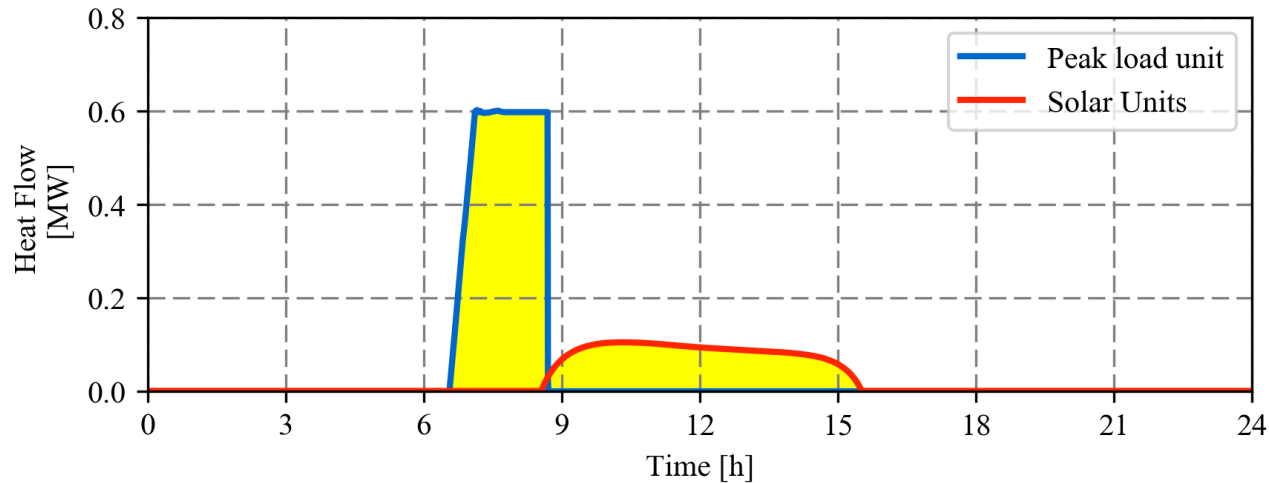
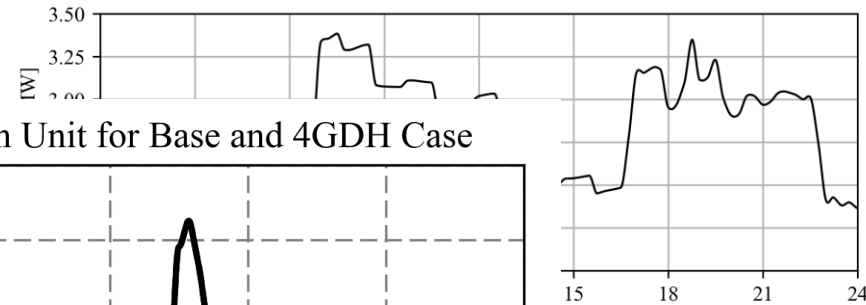
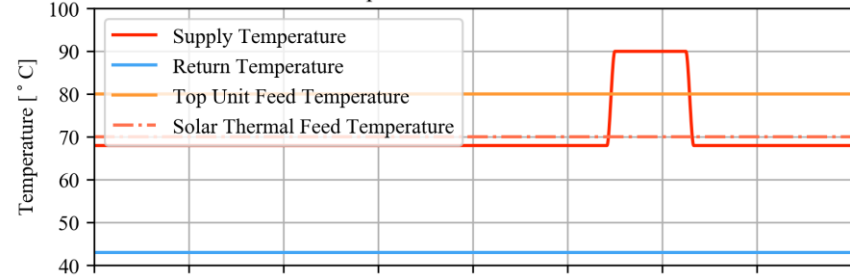
Comparison Static  $\Leftrightarrow$  Dynamic, only Base Load Unit

7.5 m  $\Leftrightarrow$  2665 m



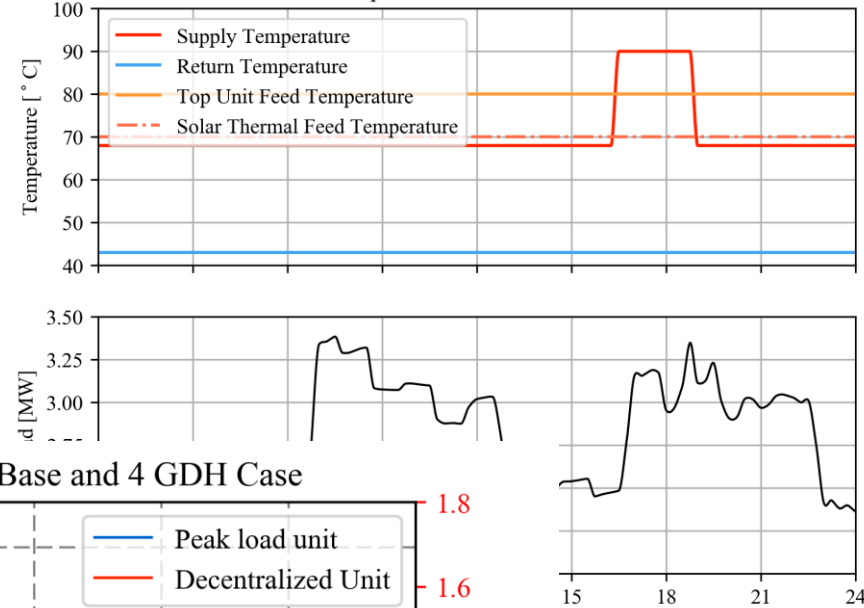
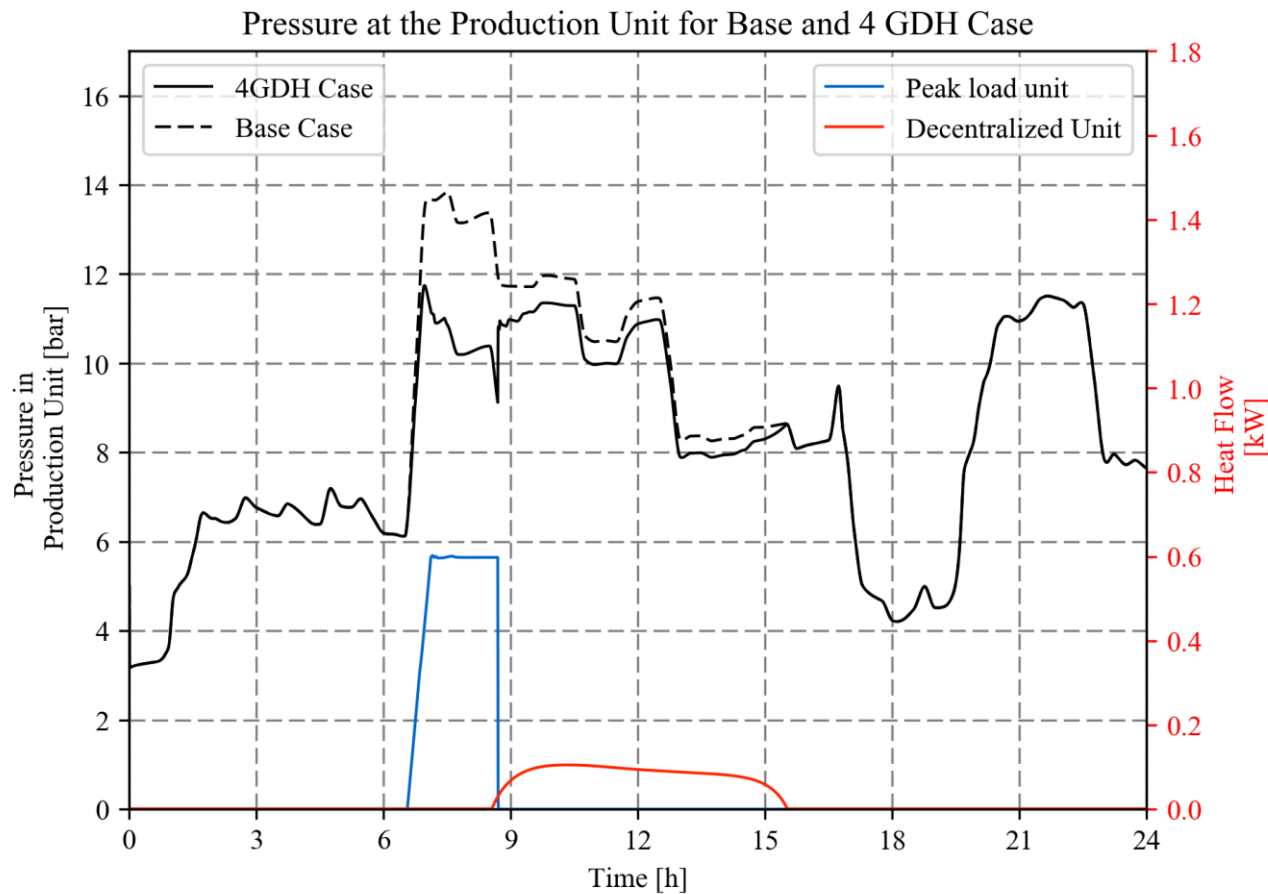
# Results

## Comparison Base $\Leftrightarrow$ 4GDH



# Results

## Comparison Base $\Leftrightarrow$ 4GDH



# Open issues

- ✎ Non-linear systems due to minimal pressure difference controller

  - 🏠 Slow simulations

- ✎ Linearization of pressure drops needed

  - 🏠 Reduce non-linear systems

  - 🏠 Increase simulation speed

# Conclusion

- ✦ Thermal network simulations need dynamic models
- ✦ Trade-off between accuracy and speed
  - ✦ **Static** is 10x faster, but less accurate
  - ✦ **Dynamic** is very accurate
- ✦ Further improvements to speed up needed

